

# Modeling copepod diversity, biogeography, and life history



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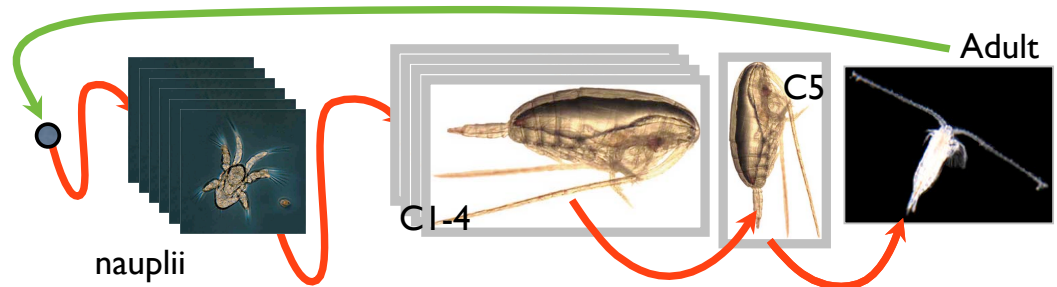
# Outline

- “Standard” copepod models
  - Forecasting with ensemble Kalman smoother
- Mass-stage model
  - copepod biogeography & diversity

# Copepod Models

- “Standard” models

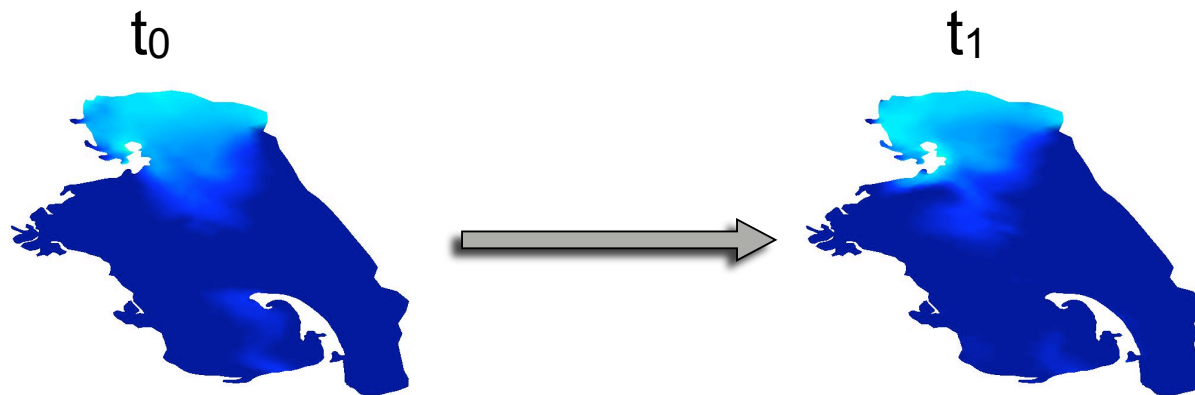
- $C_j$  = abundance of stage  $j$
- development rate
  - function of temperature
  - developmental diffusion requires substaging
- egg production
  - function of food
- mortality
  - ???
  - temp, food, season, density?



Pershing et al. (2009a) MEPS 378:227-243  
(2009b) MEPS 378:245-257

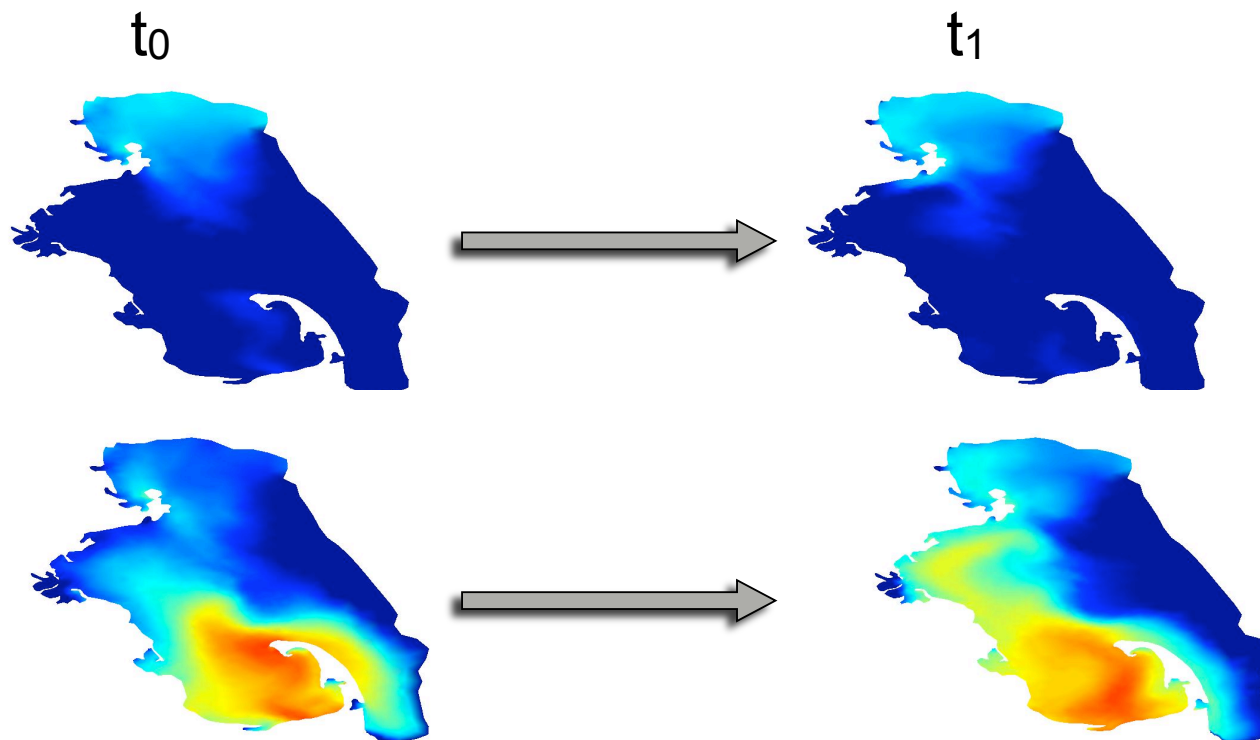
# Data Assimilation

- Problems
  - don't know initial or boundary conditions
  - unrepresented processes



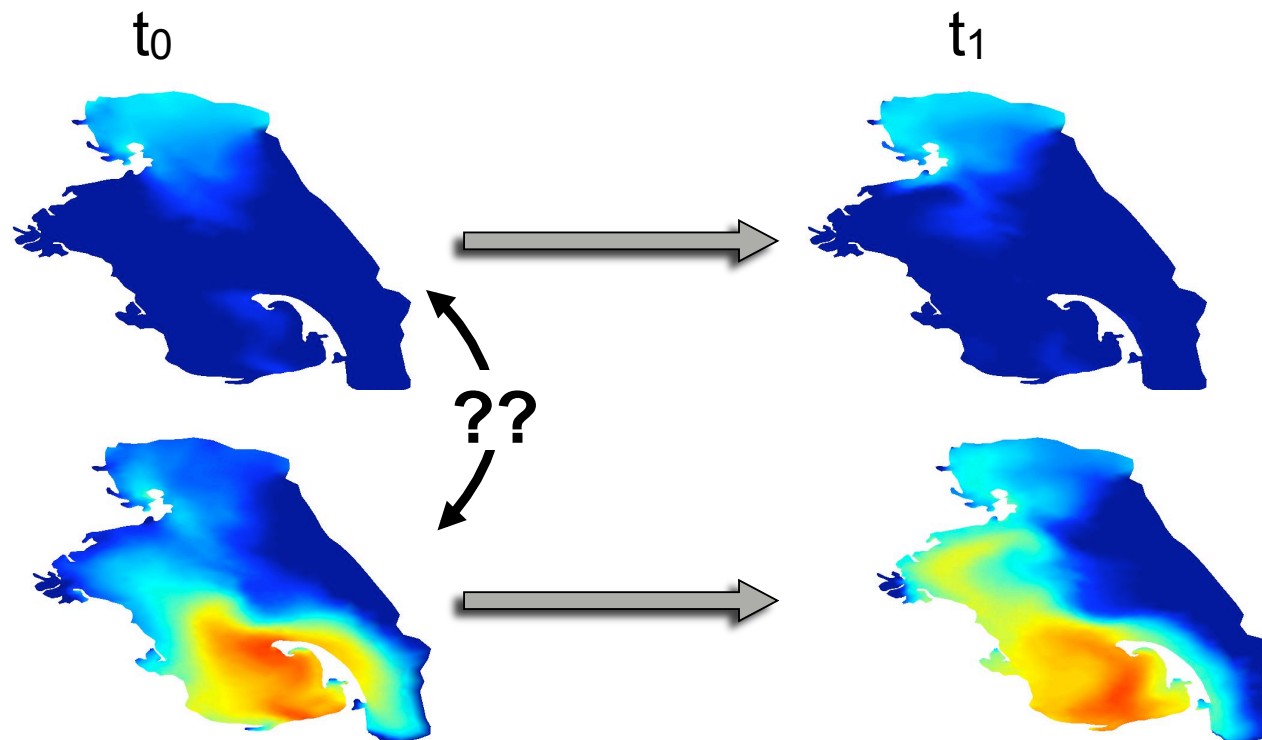
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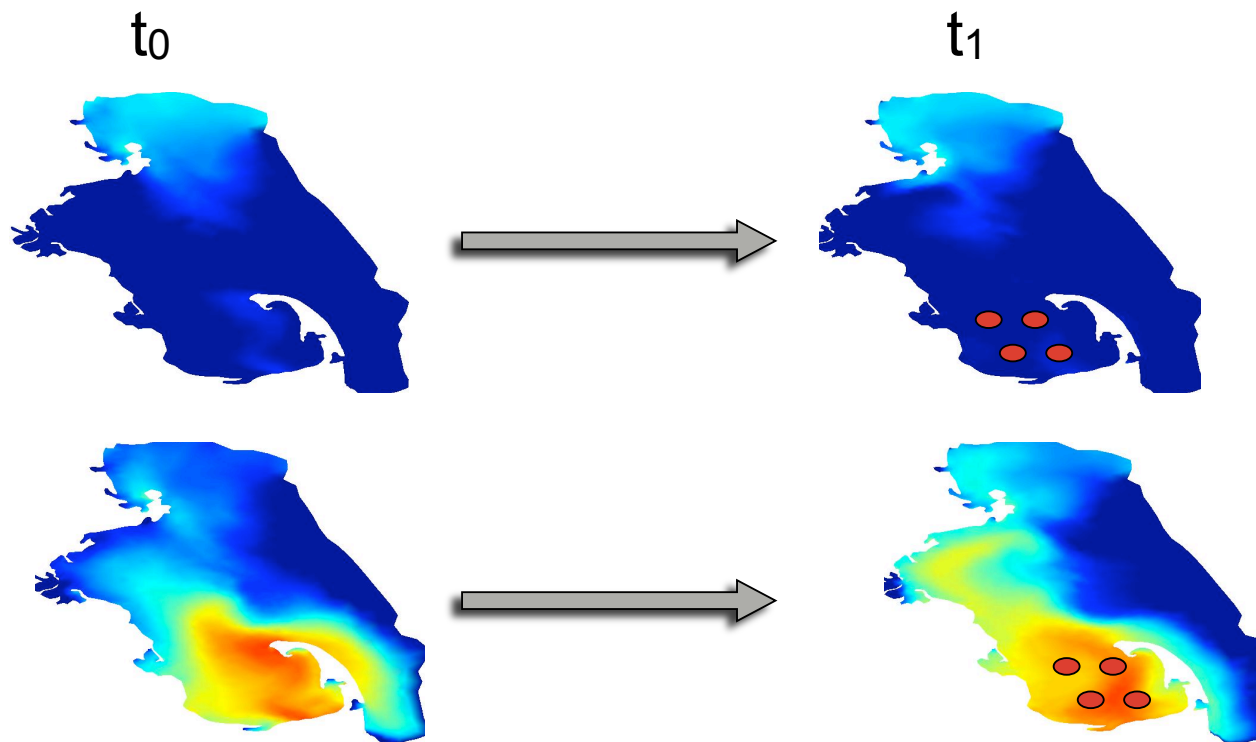
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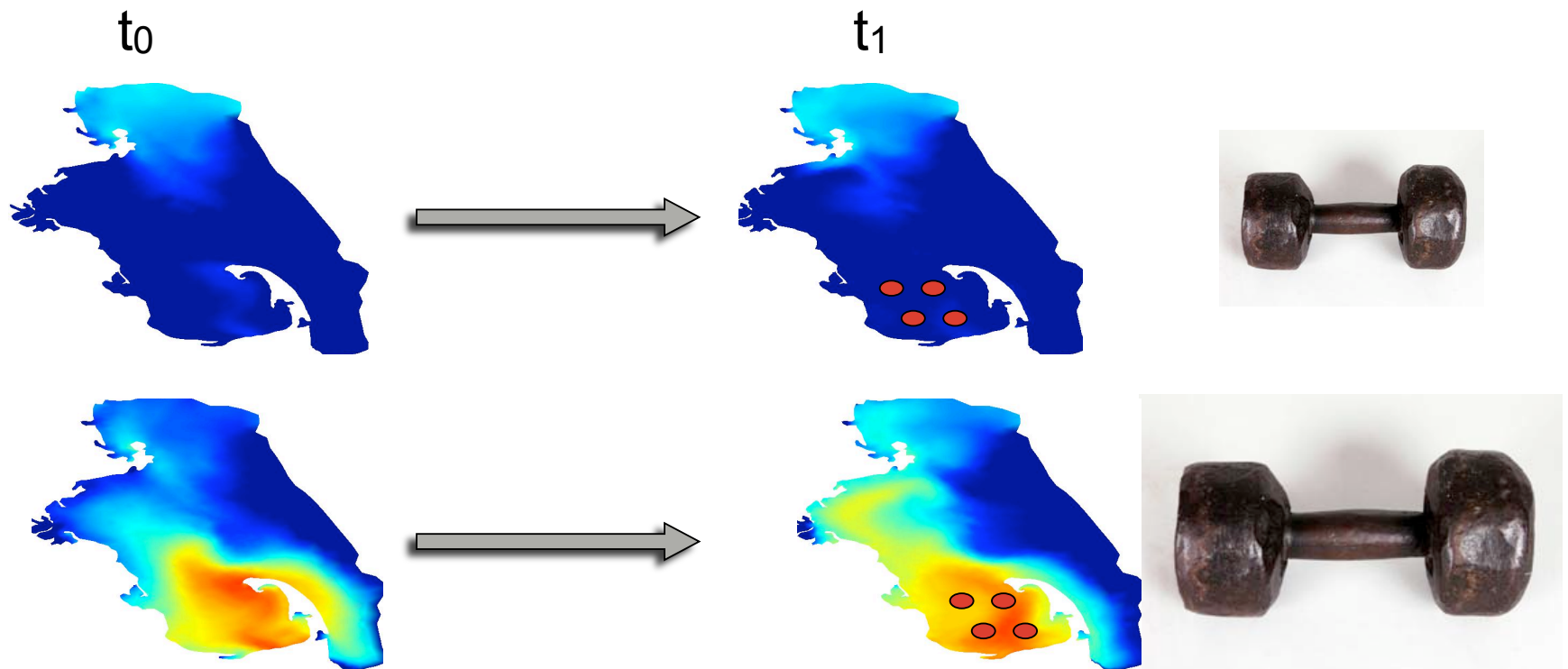
# Data Assimilation

- Solution
  - use available data & model to reconstruct copepod distributions



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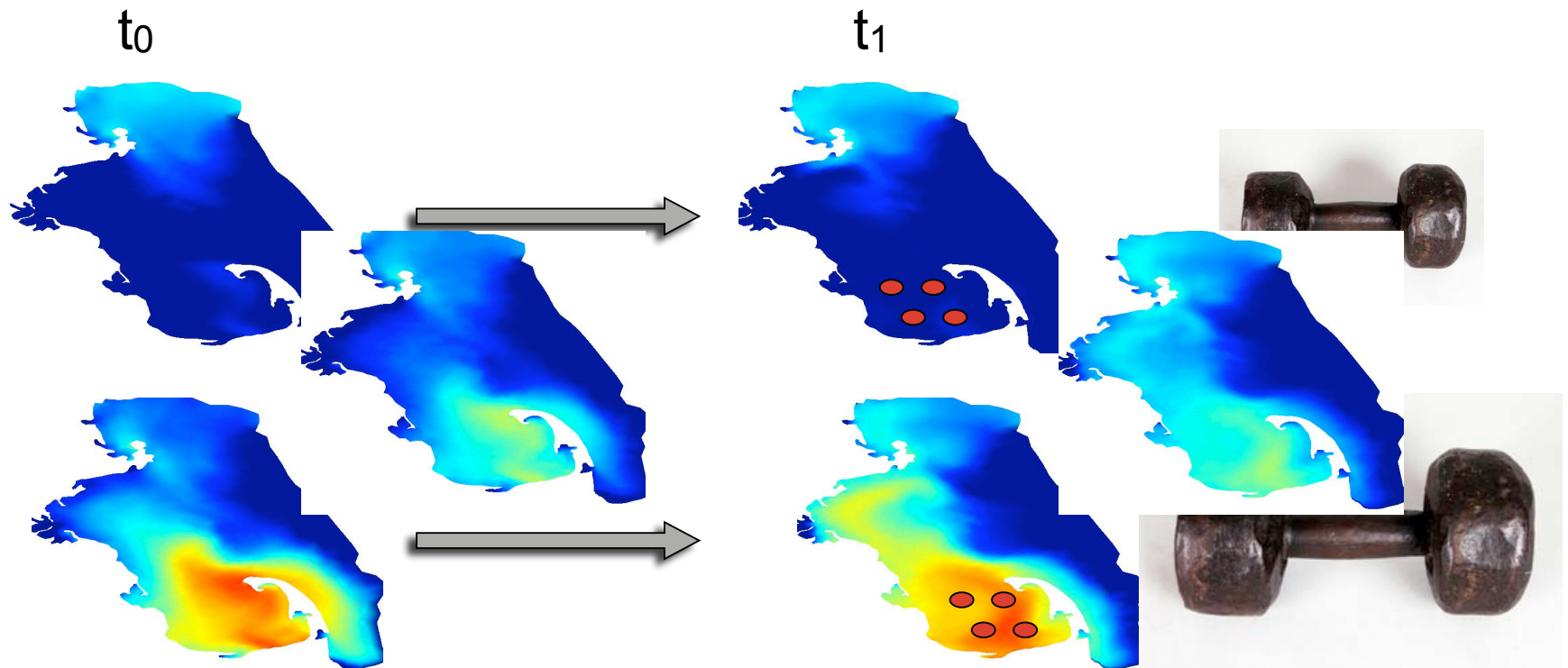
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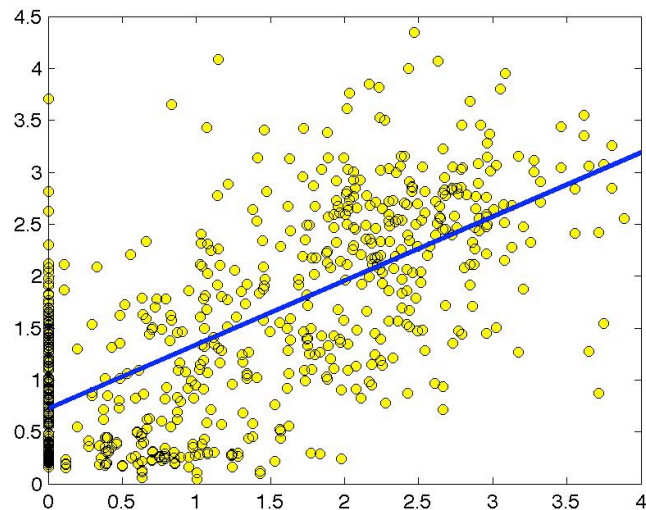
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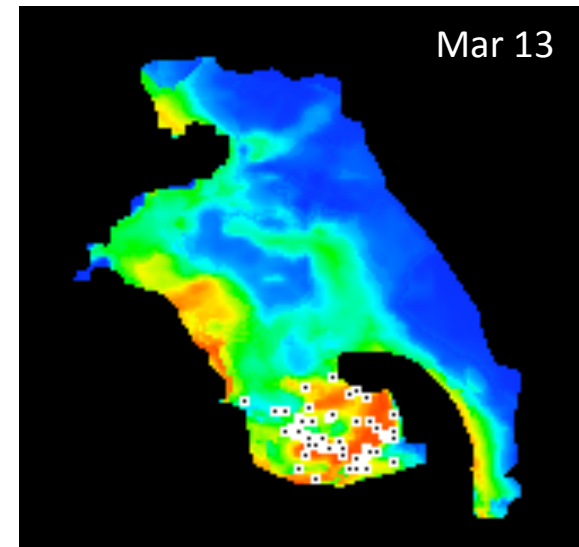
# Ensemble Kalman Filter

- EnKF

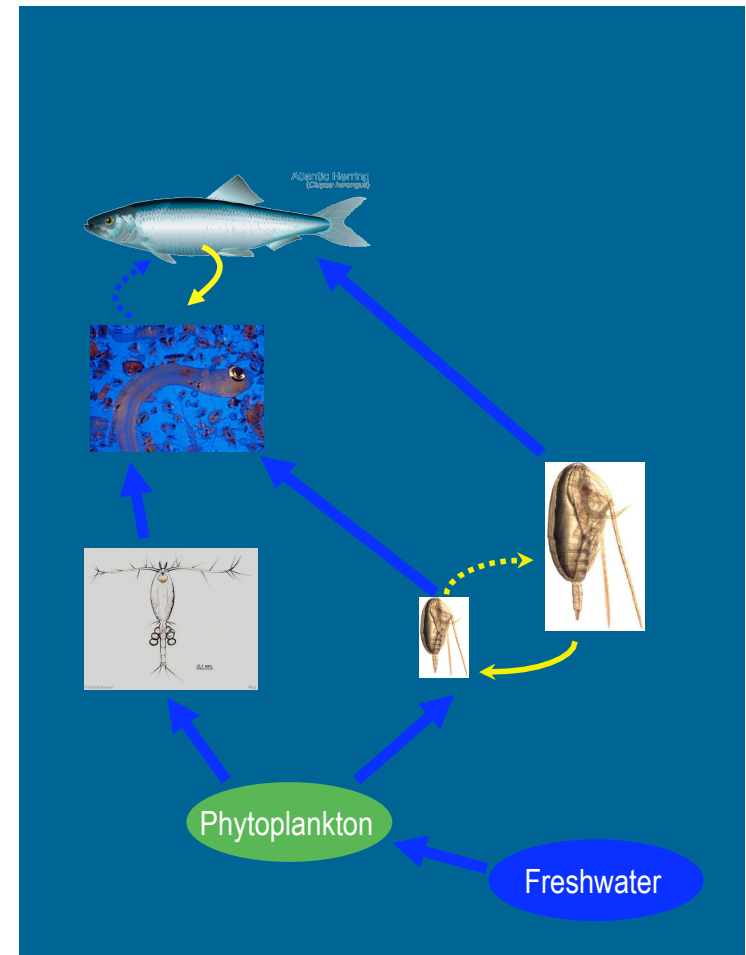
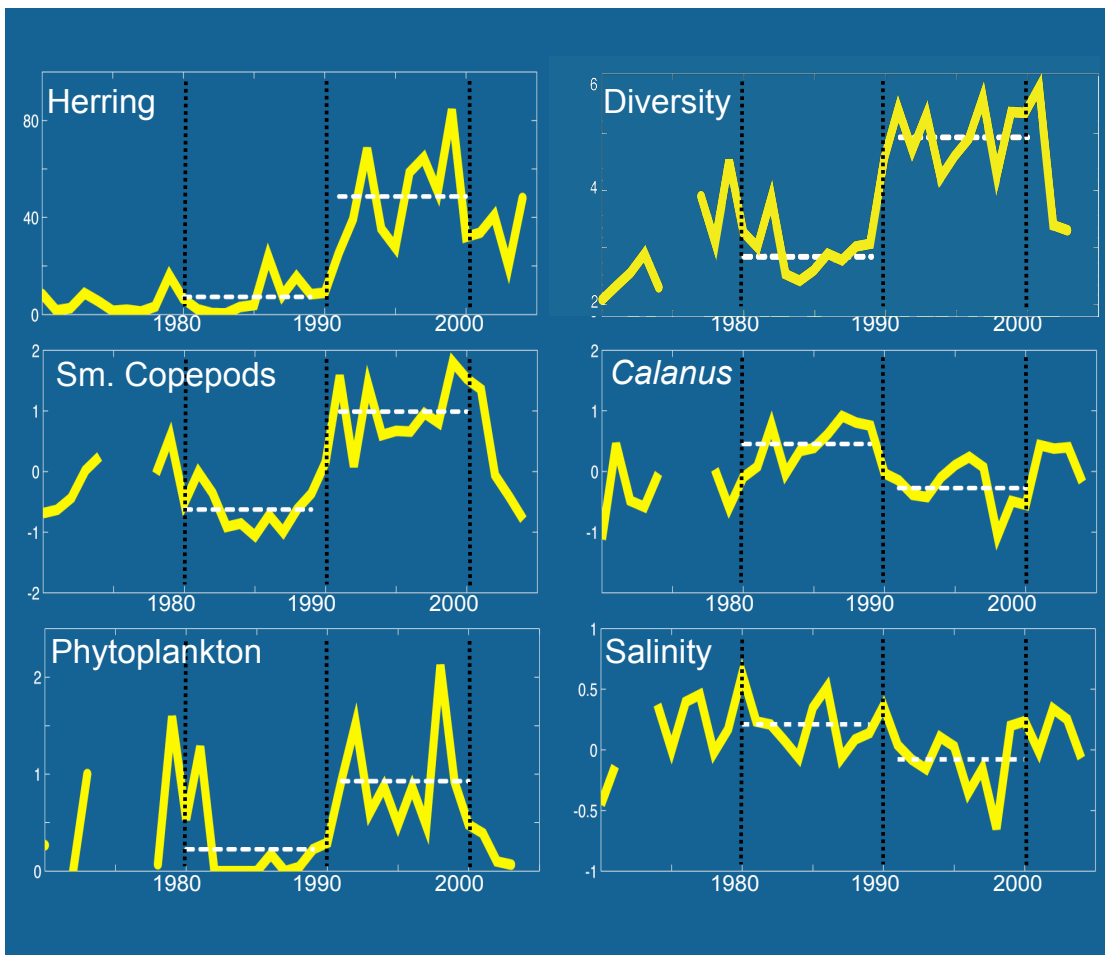
- ran model with 200 different initial and boundary conditions
- compared with available PCCS samples
- 2003-2009



$$r^2=0.43$$



# Gulf of Maine Regime Shift

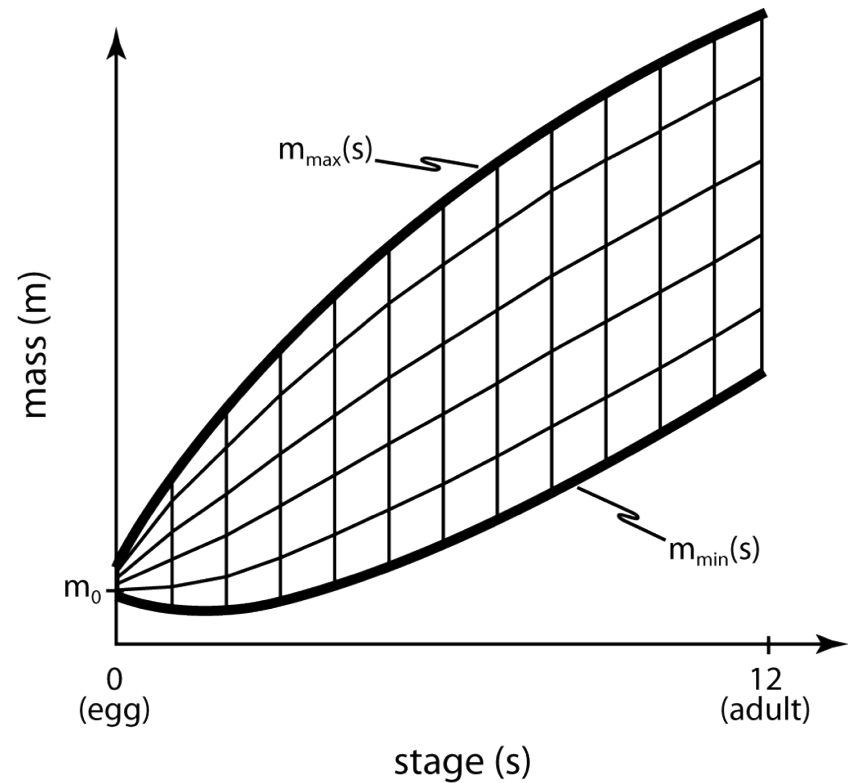


# Motivation

- Understand 1990s shift in copepod community
  - need to model a community
- Understand patterns of copepod diversity
  - seasonal & interannual
  - spatial
- Predict response of copepod communities in a changing climate

# Proposed Model

- Model mass & stage
  - $C(s,m)$  = # of size  $m$ , stage  $s$
  - Discretize  $(s,m)$  space
  - growth ( $dm/dt$ )
  - development ( $ds/dt$ )



# Development

- Development rate ( $r$ ):

$$r(s, T) = D_{[s]}(T)^{-1}$$

- Development time: Belehrádek function

$$D_j(T) = a_j(T + T_c)^{-\beta} \quad \beta = 2.05$$

- Belehrádek parameters

$$a(s) = \begin{cases} a_0 e^{\eta[s]}, & s < 8 \\ a_0 e^{\eta 7} + a_c e^{\kappa[s]}, & s \geq 8 \end{cases}$$

$T_c$
$a_0$
$a_c$
$\eta$
$\kappa$

# Growth

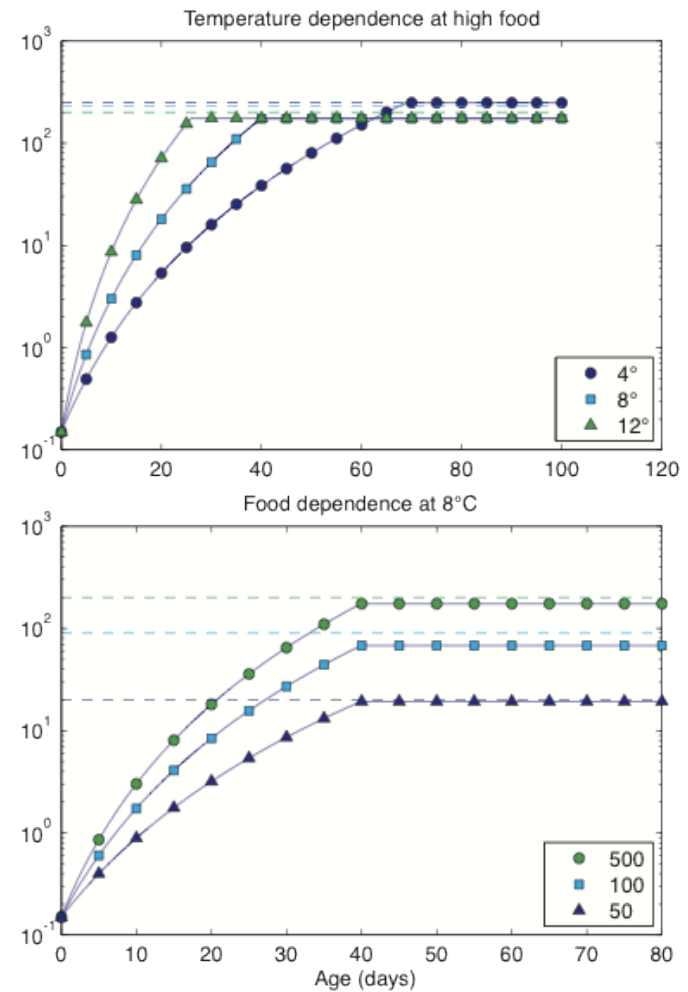
$$\begin{aligned}g(m, T, F) &= \text{Ingestion}(m, T, F) - \text{Metabolism}(m, T) \\ &= \gamma (1 - e^{-F/f_c}) m^{7/9} M e^{-E_f/T} - m^{3/4} M e^{-E_m/T}\end{aligned}$$

- Metabolism---holling function, clearance rate
  - size & temp
- Ingestion
  - size & temp
  - food concentration

$\gamma$
$f_c$
$E_f$
$E_m$

# *Calanus finmarchicus*

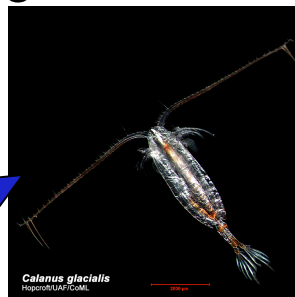
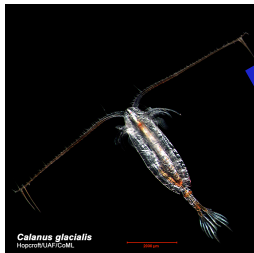
- mass-stage model can represent *C. finmarchicus*
- Hypothesis:
  - growth & development structure captures essential features of copepods
  - defines trade-offs that copepods are making to optimize fitness



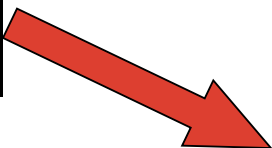


# Copepod Adaptation

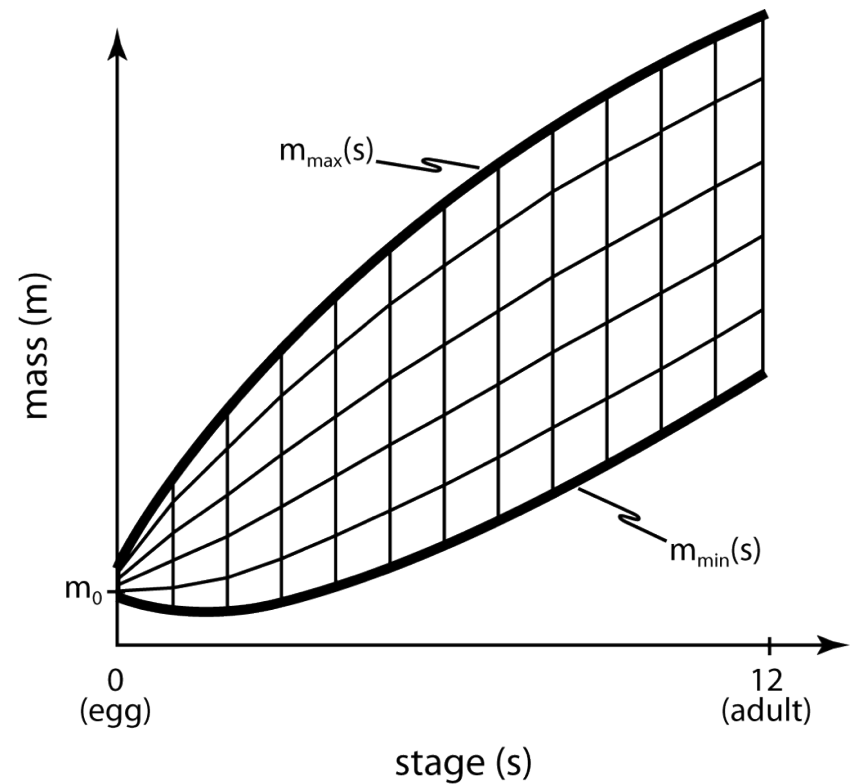
- Development rate has evolved to balance growth rate in a given environment



too big, too slow



too small, too fast



# Mortality

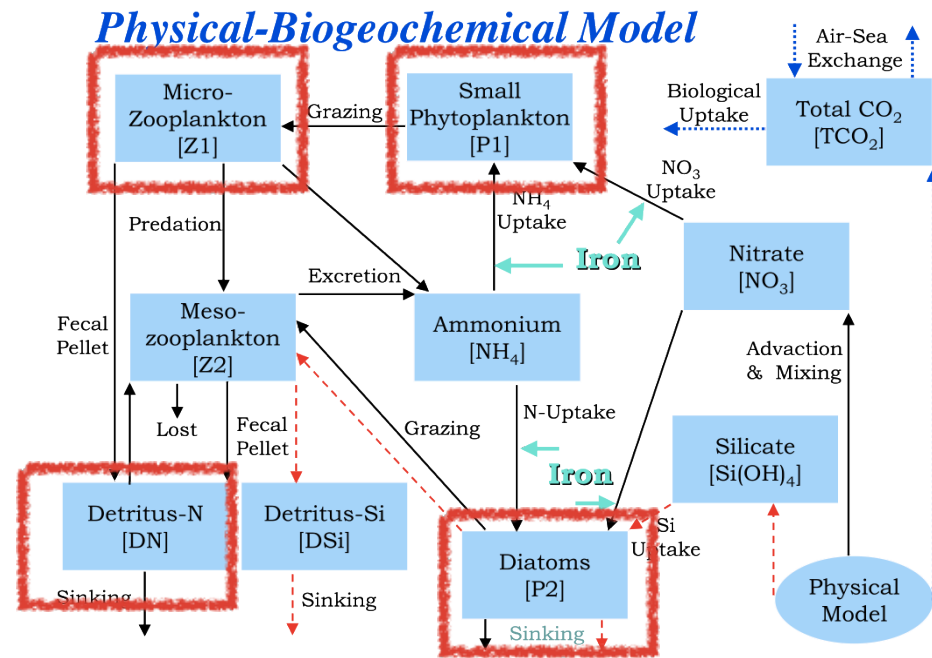
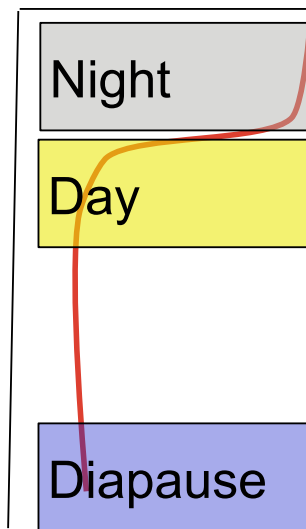
- Simplified predator populations
- Size-structured predation

$$\frac{dP_k}{dt} = \rho_k \text{Ing}(\|C\|_k) P_k - \mu_k P_k^2$$

$$\text{mortality}(C) = \sum_{k=1}^n \text{Ing}(\|C\|_k) P_k \frac{C}{\|C\|_k}$$

# Physics & Food

- ROMS model (1D)
- CoSiNE ecosystem model
- Layered



# Plan

- 1. Build models for *Calanus finmarchicus* & *Pseudocalanus newmani*
  - test framework, develop mortality functions
- 2. Diversity experiments
  - generate random copepod “species”
  - examine how life history, growth, & development change with environment
    - temperate, subtropical, subpolar
  - examine how diversity changes with environment

